

## **TITLE PAGE**

# Forecasting NFL Wide Receiver Touchdowns with a Temporal Linear Regression Model

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24 **1. Abstract**

25 Forecasting touchdowns for NFL wide receivers is a challenging but valuable problem in  
26 football analytics and player evaluation. Touchdowns are notoriously volatile, influenced by red  
27 zone usage, quarterback play, and situational variance, making year-to-year outcomes difficult to  
28 predict. This study develops a temporal linear regression model to project wide receiver  
29 touchdown totals using a feature-rich dataset spanning 1990–2024. The dataset incorporates  
30 lagged statistics, two-year rolling averages, player age and experience, team offensive strength,  
31 and efficiency metrics such as catch rate and touchdowns per target. The model was trained on  
32 1990–2010 player-seasons and tested on 2011–2024 data, with strict time-bounded feature  
33 engineering to prevent data leakage.

34 Results show strong predictive accuracy ( $R^2 = 0.803$ ,  $MAE = 0.82$  TDs), demonstrating that  
35 systematic patterns can be identified even within a highly volatile statistic. Feature importance  
36 analysis indicates that efficiency and usage metrics are more reliable predictors than raw prior-  
37 year touchdown totals, aligning with football intuition and highlighting regression-to-the-mean

38 effects. The model generates 2025 projections that identify both elite scorers and likely  
39 regression candidates, providing insight into the stability of touchdown production.  
  
40 This work demonstrates that with careful feature engineering, a transparent and interpretable  
41 linear model can yield valuable insights in sports analytics. Beyond forecasting, the results  
42 underscore the importance of efficiency and opportunity metrics in understanding touchdown  
43 outcomes, offering a framework that can inform research on statistical predictability in  
44 professional sports.

## 45 **2. Introduction**

46 Touchdowns are a critical driver of value in football analytics and player evaluation. However,  
47 among all wide receiver (WR) statistics, touchdowns are the most volatile and thus among the  
48 hardest to predict. This volatility stems from their dependence on situational factors such as red  
49 zone usage, play-calling tendencies, and defensive matchups, which often vary widely from  
50 game to game and season to season. As a result, analysts and bettors often find touchdowns to be  
51 the hardest statistic to predict due to its inherent volatility. Early football analytics research  
52 emphasized team-level scoring and play-calling (Burke, 2009), with less attention given to  
53 forecasting individual player outcomes. More recent work has examined broader statistical  
54 properties of NFL performance (Lopez, Matthews, & Baumer, 2018) and player-level evaluation  
55 metrics such as nflWAR (Yurko, Ventura, Horowitz, & Balasubramanian, 2019). However, few  
56 studies have addressed the predictability of touchdowns specifically, particularly using  
57 temporally valid models.

58 This paper introduces a linear regression model designed to project wide receiver touchdowns  
59 using a multi-season dataset with both player-level and team-level features. Unlike models that  
60 rely solely on prior-year performance, we incorporate lag features, two-year rolling averages,  
61 age and experience indicators, and contextual team metrics such as offensive scoring and pace.  
62 This richer feature set allows the model to better account for nonlinear career arcs, regression to  
63 the mean, role changes within an offense, and changes in structure of the offense itself.

64 The model is trained on NFL player-seasons from 1990 to 2010 and tested on data from 2011  
65 through 2024. Our approach emphasizes temporal integrity to avoid lookahead bias: all  
66 engineered features respect chronological boundaries. Despite the interpretability and  
67 transparency of a linear model, our results show it captures meaningful signal in a noisy domain  
68 and yields actionable projections. We conclude by applying the model to 2024 data to forecast  
69 2025 WR touchdown outcomes.

70 For clarity, the following abbreviations are used throughout this paper: TD = touchdowns; RZ =  
71 red zone; MAE = mean absolute error; RMSE = root mean squared error; R<sup>2</sup> = coefficient of  
72 determination.

## 73 **2.1 What is Linear Regression**

74 Linear regression is one of the most widely used statistical techniques for modeling the  
75 relationship between a dependent variable and one or more independent variables. In our case,  
76 the dependent variable  $y$  is the number of receiving touchdowns, and the independent variables  
77  $x_1, x_2, \dots, x_n$  are the engineered features describing a player's past performance, efficiency, and  
78 context (things such as yards per game or catch rate for example)

79 The core idea of linear regression is to fit a straight-line (or hyperplane, in higher dimensions)  
80 relationship between inputs and output, such that the predicted values are as close as possible to  
81 the observed values. Linear Regression thus assumes:

82 1. The relationship between predictors and the target is approximately linear.  
83 2. The residuals (errors) are independent and have constant variance.  
84 3. No predictor is an exact linear combination of others (no perfect multicollinearity).

85 In practical terms, the model estimates how much the target variable changes (touchdowns), on  
86 average, when each feature changes by one unit, holding all other features constant.

87 **2.2 Mathematical Formula of Linear Regression**

88 For a dataset with  $n$  observations and  $p$  predictors, linear regression models the target  $y$  as:

89 
$$y_i = \beta_0 + \beta_1 x_{i1} + \beta_2 x_{i2} + \cdots + \beta_p x_{ip} + \varepsilon_i$$

90 where:

91 •  $y_i$  = the actual value of the dependent variable for observation  $i$   
92 •  $x_{ij}$  = the value of predictor  $j$  for observation  $i$   
93 •  $\beta_0$  = intercept term  
94 •  $\beta_j$  = coefficient for predictor  $j$   
95 •  $\varepsilon_i$  = residual error for observation  $i$

96 The goal is to find the coefficient vector  $\vec{\beta} = (\beta_0, \beta_1, \dots, \beta_p)$  that minimizes the Residual Sum of

97 Squares (RSS):

98

$$RSS(\beta) = \sum_{i=1}^n (y_i - \beta_0 - \sum_{j=1}^p \beta_j x_{ij})^2$$

99 This minimization yields the ordinary least squares (OLS) solution:

100

$$\beta = (X^T X)^{-1} X^T y$$

101 where:

102 •  $X = n * (p + 1)$  matrix of features (including a column of ones for the intercept)

103 •  $y = n * 1$  vector of target values

104 In the context of this paper each  $\beta_j$  represents the expected change in touchdowns for a given

105 player for a change of one-unit for the feature  $x_j$  while assuming all other variables remain

106 constant. Positive coefficients would imply a positive correlation between that feature and

107 expected touchdowns scored – and vice-versa.

108 **3. Materials & Methods**

109 **3.1 Data Sources**

110 To build a model capable of projecting wide receiver touchdowns, a comprehensive dataset of

111 NFL WR performance spanning over three decades was assembled. The dataset pulls together

112 information from multiple sources and levels — including individual player statistics, rushing  
113 contributions, and some context about their team and situation.

114 The core data were scraped from Pro-Football-Reference.com (Pro-Football-Reference.com,  
115 2025), including:

116 • Receiving stats (e.g., targets, receptions, yards, touchdowns, yards per reception)  
117 • Rushing stats (for WRs with occasional carries)  
118 • Team stats (e.g., points scored, total offensive plays, yards per play)

119 These were compiled into season-level records for every wide receiver from 1990 through 2024.

## 120 **3.2 Feature Engineering**

121 To support accurate preseason forecasting, a variety of derived features were constructed from  
122 player and team data. These included both static and historical variables, with all temporal  
123 metrics carefully bounded by year to prevent data leakage.

### 124 **Static Features:**

125 • Age and Experience Indicators: Variables such as player age, total seasons active, and  
126 binary flags for career stages (e.g., prime years at ages 25–29 or rookie/sophomore  
127 seasons at age  $\leq 23$ ).

128

129 • Individual Performance: Core metrics including Catch Rate (completions per target),  
130 targets per game, and yards per game.

131

- Scoring Efficiency: Touchdowns per reception (TD\_Per\_Reception) and per target (TD\_Per\_Target), capturing how effectively players convert opportunities into scores.
- Team Context: Offensive strength measures, such as Team\_Offense\_Strength (points per game).

## Historical Features:

- Prior Season Performance: Key statistics from the previous year, including touchdowns, targets, receptions, and receiving yards (e.g., TD\_Prev, Yds\_Prev).
- Long-Term Trends: Two-year rolling averages for touchdowns, receptions, and yards (e.g., TD\_Avg2, Rec\_Avg2, Yds\_Avg2) to capture sustained performance over time.
- Career Experience: Number of years a player has appeared in the dataset.

All features were designed to mirror the type of information available during the preseason, ensuring the model's evaluation aligns with real-world forecasting constraints.

### 3.3 Problem Framing

This section describes the process used to model and project WR touchdown totals. The approach involves preparing the dataset, training a linear regression model and testing it on a different dataset.

We frame WR touchdown prediction as a supervised regression task. For each player-season, the goal is to predict the number of receiving touchdowns (TD) a player will score based on a

153 variety of contextual and historical features. The modeling target is continuous ( $TD \in \mathbb{R}^+$ ), and we  
154 use a linear regression framework for its transparency and interpretability.

155 An inherent characteristic of this modeling framework is *regression to the mean*: extreme  
156 touchdown totals in one season are statistically likely to move closer to league-average levels in  
157 subsequent seasons. In a linear regression context, unless a predictor perfectly explains the  
158 target, the model's fitted values tend to be "pulled" toward the overall mean. This property helps  
159 prevent overestimation of repeat peak seasons and avoids overreacting to one-off scoring spikes,  
160 which is particularly important for touchdowns given their volatility.

### 161 **3.4 Feature Set and Target Variable**

162 The features used in the model fall into the following categories:

- 163 • Lag Features: Stats from the previous season (e.g., TD\_Prev, Yds\_Prev, Tgt\_Prev, Y/R\_Prev)
- 164 • Rolling Averages: Two-year rolling means for TDs, targets, receptions, and yards  
165 (TD\_Avg2, etc.)
- 166 • Player Traits: Age, experience (Age, Age\_Squared, Experience, Prime\_Age, Rookie\_Sophomore)
- 167 • Efficiency Metrics: TD\_Per\_Target, Catch\_Rate, Target\_Share, Yards\_Per\_Game
- 168 • Red-Zone Data (RZ): Rz\_Targets, RZ\_receptions, RZ\_yards, RZ\_TDs, RZ\_INTs, RZ\_Catch\_Rate
- 169 • Team Context: Offensive output per game (Team\_Offense\_Strength), and scoring  
170 environment
- 171 • Durability: Games played

172 The target variable is the actual number of receiving touchdowns scored by a player in that  
173 season.

174 **3.5 Temporal Validation and Data Leakage Prevention**

175 To ensure robust backtesting, we implement a chronologically consistent train/ test split of the  
176 data set:

177 • **Training Set:** Player-seasons from 1990–2010

178 • **Test Set:** Player-seasons from 2011–2024

179 All temporal features (e.g., lag stats and rolling averages) are computed using only prior seasons  
180 up to the year being predicted. This simulates a true forward-looking forecast and ensures the  
181 prevention of data-leakage.

182 **3.6 Model Choice and Evaluation**

183 We trained the Linear Regression model using scikit-learn (Pedregosa et al., 2011), with the  
184 following characteristics:

185 • No regularization (ordinary least squares)

186 • Standardization applied to numeric features via StandardScaler

187 This choice was made to prioritize interpretability, making it easier to identify which features  
188 positively or negatively influence TD outcomes.

189 We apply 5-fold cross-validation on the training set to assess in-sample error and variance in the  
190 model. In this procedure, the training data is split into five equal parts – called folds. The model  
191 is trained on four folds and evaluated on the remaining fold, repeating so that each fold serves  
192 once as the evaluation set.

193 Five folds were chosen as a balance between:

194 • Bias and variance estimation – Too few folds can yield noisy estimates of model  
195 performance, while too many folds (e.g., leave-one-out) can produce low-bias but high-  
196 variance estimates.

197 • Computational efficiency – Five folds provide stable performance metrics without  
198 making training time excessive.

199 Metrics reported include:

200 • MAE (Mean Absolute Error)  
201 • RMSE (Root Mean Squared Error)  
202 •  $R^2$  Score

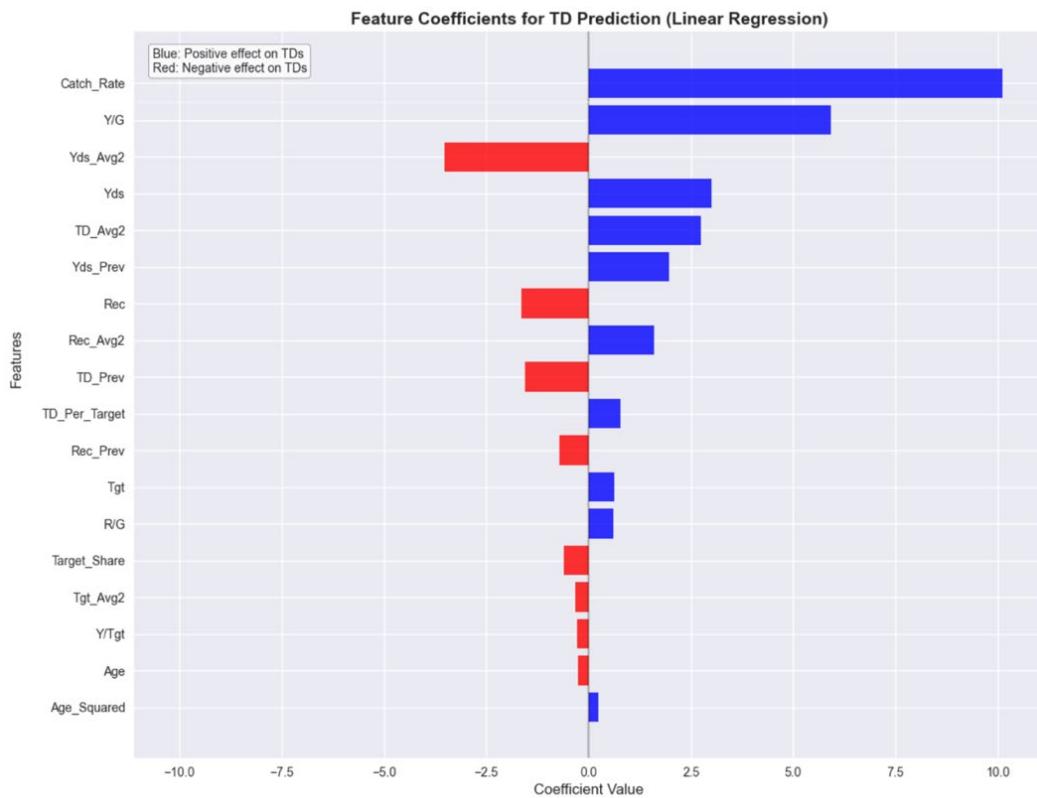
203 The final model is evaluated on the full test set (2011–2024) to measure out-of-sample  
204 generalization.

## 205 **4. Results and Data Visualization**

206 The linear regression model was trained on NFL WR data from 1990 to 2010 and evaluated on a  
207 temporally isolated test set spanning 2011 through 2024. Results from the out-of-sample backtest  
208 show that the model captures meaningful signal in a high-variance target variable: receiving  
209 touchdowns.

### 210 **4.1 Top Features**

211 The figure below shows the features used in training and testing the model, a positive coefficient  
212 value implies a positive correlation with touchdowns (and vice-versa). A larger magnitude  
213 implies a stronger correlation.



214

215 **Figure 1.** Feature coefficients for touchdown prediction using linear regression.

216 Positive coefficients (blue) indicate features that increase projected touchdowns;

217 negative coefficients (red) decrease them.

218 The most influential features in the model, ranked by coefficient magnitude, were:

219 1. Catch Rate – A higher catch rate reflects a receiver's reliability and ability to convert  
220 targets into completions. Consistently catching passes increases red-zone efficiency and  
221 scoring opportunities.

222 2. Yards Per Game – Sustained yardage production per game signals a player’s central role  
223 in the offense and strong target volume, both of which correlate strongly with touchdown  
224 opportunities.

225 3. Two-Year Average Receiving Yards (Yds\_Avg2) — In this model, the coefficient is  
226 negative conditional on other features (e.g., catch rate, usage). This can occur if high-  
227 yardage profiles come from between-the-20s usage while lower-yardage receivers see  
228 proportionally more red-zone targets.

229 Notably, the model emphasizes efficiency and sustained production metrics over raw prior-year  
230 touchdown totals. This aligns with established football intuition: touchdowns are more often the  
231 product of consistent usage and high-value opportunities than the simple repetition of past high-  
232 scoring seasons. By identifying players with stable efficiency profiles, the model highlights  
233 candidates most likely to sustain or improve their touchdown output.

234 **4.2 Test Set Performance**

235 The model achieves strong performance on the 2011–2024 test set, as shown in Table 1.

Metric	Value
Mean Absolute Error (MAE)	0.82 TDs
Root Mean Squared Error (RMSE)	1.29 TDs
R <sup>2</sup> Score	0.803

236

237 **Table 1:** Performance metrics for the linear regression model  
238 predicting WR touchdowns (2011–2024 test set).

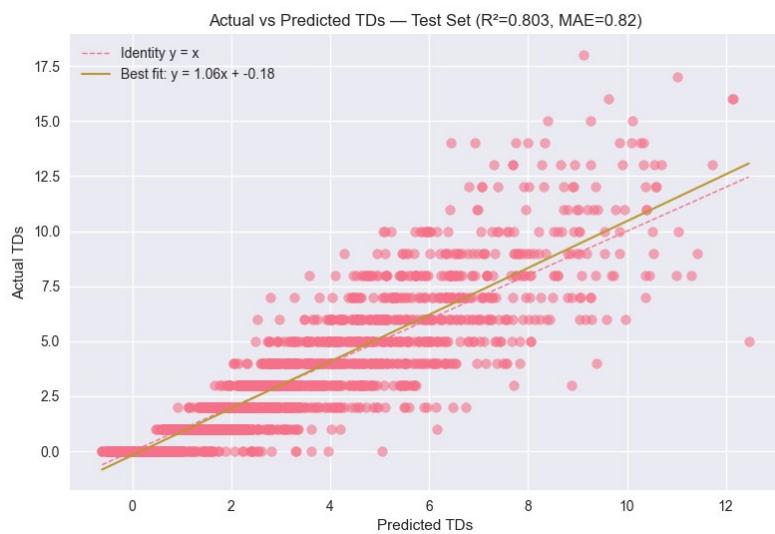
239

240 The low mean absolute error (MAE) of 0.82 touchdowns indicates that most predictions are  
241 within  $\pm 1$  TD of actual outcomes. The root mean squared error (RMSE) of 1.29 TDs reflects a  
242 modest penalty for larger errors, while the  $R^2$  of 0.803 suggests that the model explains over  
243 80% of the variance in wide receiver touchdown totals. These results demonstrate strong  
244 predictive accuracy for a linear model, particularly given the high volatility and perceived non-  
245 linearity of touchdowns.

#### 246 **4.3 Cross-Validation (Train Set)**

247 During training (1990–2010), the model achieved a cross-validation MAE of  $0.45 \pm 0.08$ ,  
248 suggesting low variance and good generalization. The consistency between train and test scores  
249 supports the model’s robustness and lack of overfitting.

#### 250 **4.4 Data Visualization**



251

252 **Figure 2.** Predicted vs actual WR touchdowns (2011-2024 test set) with identity and best-fit lines;  
253 alignment indicates low systematic bias.

254

255 The best fit regression line is given by the equation:  $y = 1.06x - 0.18$  where y represents actual  
256 touchdowns scored, and x represents our models projected touchdowns. Our slope being 1.06,  
257 greater than 1, implies a slight tendency to underpredict at the high end of the distribution, while  
258 the intercept of  $-0.18$  is close to zero, indicating minimal systematic bias.

259 A comparison of the model's best-fit line to the identity line ( $y = x$ , perfect predictions) reveals  
260 systematic patterns. When touchdowns are low ( $< 3$ ) the identity line is above the model's best  
261 fit line. This means that in this range of touchdowns the model slightly overpredicts touchdowns.  
262 On the contrary, when touchdowns are higher ( $> 3$ ) the identity line is below the best fit line.  
263 This means the model slightly underpredicts touchdowns. In fact, the distance between the two  
264 lines increases as touchdowns increase, so this under projection becomes worse as touchdowns  
265 increase (reflecting the increased variance in elite level touchdown scoring). This reflects both  
266 the increased variance among elite scorers and the model's natural regression toward the mean.

## 267 4.5 Projections for Upcoming Season

268 After evaluation, the trained model was applied to WRs from the 2024 season to generate  
269 touchdown projections for 2025.

270 The model's projections for 2025's top 10 touchdown scorers are presented in Table 2.

Player	Tm	Age	Games	TD Projection	TD / Game
Ja'Marr Chase	CIN	24	17	11.03	0.649

Justin Jefferson	MIN	25	17	9.85	0.579
Brian Thomas	JAX	22	17	8.52	0.501
Drake London	ATL	23	17	7.89	0.464
Terry McLaurin	WAS	29	17	7.69	0.452
Amon-Ra St. Brown	DET	25	17	7.4	0.435
A.J. Brown	PHI	27	13	7.26	0.558
Ladd McConkey	LAC	23	16	7.26	0.454
Jerry Jeudy	CLE	25	17	7.14	0.42
Jameson Williams	DET	23	15	7.09	0.473

271 **Table 2.** Model projections for the top 10 wide receivers by touchdown total in the 2025 NFL season  
 272 (based on 2024 data).

273 These results align closely with expectations for elite WRs, with Ja'Marr Chase topping the list  
 274 with 11.03 projected touchdowns. While this is still an elite projection, it represents a decline  
 275 from his 2024 production due to reversion to the mean — the statistical tendency for extreme  
 276 performances to move closer to league-average levels in subsequent seasons.

277 The list includes many established stars (e.g., Justin Jefferson, Amon-Ra St. Brown, A.J.  
 278 Brown), however, the model does not incorporate external situational factors for 2025 that could  
 279 materially influence these projections. For example:

280 • Justin Jefferson and Drake London will be playing with new quarterbacks.  
 281  
 282 • Brian Thomas may see target share competition from 2<sup>nd</sup> overall pick, rookie teammate  
 283 Travis Hunter.

284 These contextual elements, while important for interpretation, fall outside the model's current  
285 feature set. Future work could incorporate roster changes, quarterback stability, and offensive  
286 scheme adjustments to better capture these external influences and provide perhaps more  
287 accurate projections.

288 **5. Discussion**

289 The results of our linear regression model provide several important insights into the  
290 predictability of WR touchdowns and the broader dynamics of NFL scoring.

291 **5.1 Interpretable and Stable Performance**

292 The model's  $R^2$  of 0.803 and MAE under 1 TD demonstrate that touchdowns, while high  
293 variance, are not entirely random. By relying on a broad, temporally valid feature set, the model  
294 captures stable indicators of future scoring — particularly catch efficiency, receiving volume,  
295 and team context. This shows that touchdown regression and breakout candidates can be  
296 detected systematically using historical data.

297 Moreover, the model's strong cross-validation performance (MAE =  $0.45 \pm 0.08$ ) further  
298 validates its generalizability and lack of overfitting, despite the additive, linear structure of the  
299 model.

300 **5.2 Feature Importance Reveals Underlying Mechanics**

301 The most predictive features — such as `Catch_Rate`, `Yards_Per_Game` — reflect sustainable  
302 opportunity and role in an offense rather than raw scoring alone. This aligns with the football

303 intuition that touchdowns are often a function of consistent usage and efficiency rather than  
304 isolated high-touchdown seasons.

305 Interestingly, past touchdown totals (TD\_Prev) did not rank among the top linear features,  
306 suggesting that surface-level regression models relying on "he scored X touchdowns last year"  
307 may be overly simplistic; guidelines based on prior-year scoring are insufficient for reliable  
308 forecasting in such a volatile statistic.

### 309 **5.3 Limitations**

#### 310 **Limitations**

311 While this project provides a strong foundation for touchdown prediction, the model has several  
312 notable limitations:

- 313 • **Linear form:** Cannot capture nonlinear effects, such as diminishing returns or  
314 interactions between variables (e.g., age and usage).
- 315 • **No injury or situational awareness:** Lacks inputs for offseason and in-season changes,  
316 including depth chart shifts, quarterback changes, and play-calling adjustments.
- 317 • **No adversarial defense data:** Matchup strength and opposing defensive rankings were  
318 not incorporated.
- 319 • **Limited positional scope:** Focuses exclusively on wide receivers, excluding other  
320 offensive positions.

#### 321 **Future Work**

322 Future research could address these gaps by:

323     • Applying the methodology to predict other wide receiver statistics—such as receiving  
324        yards or receptions—to build a more complete player profile.

325     • Expanding the framework to include additional positions, such as tight ends or running  
326        backs.

327     • Incorporating richer data sources, including play-by-play logs, tracking metrics,  
328        defensive matchup data.

329     • Adding offseason and situational information, such as coaching staff changes, injury  
330        history, and team roster moves.

331     • Exploring more advanced modeling techniques—such as tree-based ensembles or neural  
332        networks—to capture nonlinear relationships and complex feature interactions.

333     **5.4 Practical Applications**

334     Despite its simplicity, the model offers clear, actionable value across multiple areas. Its linear  
335     regression framework makes it highly interpretable, allowing outputs to be analyzed and trusted  
336     in real-world decision-making. By ranking players based on projected touchdowns and grouping  
337     them into tiers, the framework can inform evaluation. In professional contexts, the model  
338     highlights the attributes most strongly associated with scoring, assisting scouts, analysts, and  
339     coaching staff in talent assessment and development. In broader analytics applications, the  
340     projections and feature importance provide a benchmark for understanding which statistics most  
341     reliably translate into future scoring outcomes.

342

343

344 **6. Conclusion**

345 This study developed and validated a linear regression model to forecast NFL WR touchdown  
346 totals using feature-rich, temporally consistent dataset spanning 1990–2024. By incorporating  
347 lagged performance statistics, rolling averages, efficiency metrics, and team-level context, the  
348 model achieved strong predictive accuracy in one of football’s most volatile metrics,  
349 touchdowns.

350 Evaluation on an out-of-sample test set (2011–2024) yielded an  $R^2$  of 0.803 and an MAE of 0.82  
351 touchdowns, demonstrating that even in the presence of perceived randomness in scoring  
352 touchdowns, systematic patterns can be identified and exploited. The model’s interpretability  
353 allowed for clear insights into which factors most influence touchdown outcomes — with  
354 efficiency and volume metrics outperforming raw prior-year touchdown counts as predictors.

355 The resulting projections for 2025 offer actionable guidance for sports analytics and player  
356 evaluation by identifying likely regression and breakout candidates. While the linear framework  
357 is interpretable and robust, future work could explore nonlinear modeling, additional contextual  
358 variables such as red zone usage or quarterback efficiency, and integration of play-by-play  
359 tracking data.

360 In sum, this work shows that with careful feature engineering and strict prevention of data  
361 leakage, a transparent linear regression model can provide valuable and interpretable forecasts  
362 for one of football’s most volatile statistics.

363

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368 **References**

369 Burke, B. (2009). The hidden game of football: A quantitative analysis of scoring and play  
370 calling in the NFL. *Journal of Quantitative Analysis in Sports*, 5(3), Article 6.

371 <https://doi.org/10.2202/1559-6458.1102>

372 Lopez, M. J., Matthews, G. J., & Baumer, B. S. (2018). How often does the best team win? A  
373 unified approach to understanding randomness in North American sport. *The Annals of Applied  
374 Statistics*, 12(4), 2483–2516.

375 Pedregosa, F., Varoquaux, G., Gramfort, A., Michel, V., Thirion, B., Grisel, O., ... Duchesnay,  
376 É. (2011). Scikit-learn: Machine learning in Python. *Journal of Machine Learning Research*, 12,  
377 2825–2830.

378 Pro-Football-Reference.com. (2025). *NFL player statistics*. Sports Reference LLC.

379 <https://www.pro-football-reference.com/>

380 Yurko, R., Ventura, S. L., Horowitz, M., & Balasubramanian, V. (2019). nflWAR: A  
381 reproducible method for offensive player evaluation in football. *Journal of Quantitative Analysis  
382 in Sports*, 15(3), 163–183.

383

384 **Statements and Declarations**

385 Ethical considerations

386 Not applicable. This research used publicly available secondary data (NFL statistics) and did not  
387 involve human participants, human tissue, or human data requiring ethical approval.

388 Consent to participate

389 Not applicable

390 Consent for publication

391 Not applicable

392 Declaration of conflicting interest

393 The author declares no potential conflicts of interest with respect to the research, authorship,  
394 and/or publication of this article.

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398 Data availability

399 All raw data used in this study are publicly available from Pro-Football-Reference  
400 (<https://www.pro-football-reference.com/>). Processed datasets and model predictions generated  
401 during the current study are available from the author on reasonable request.

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